

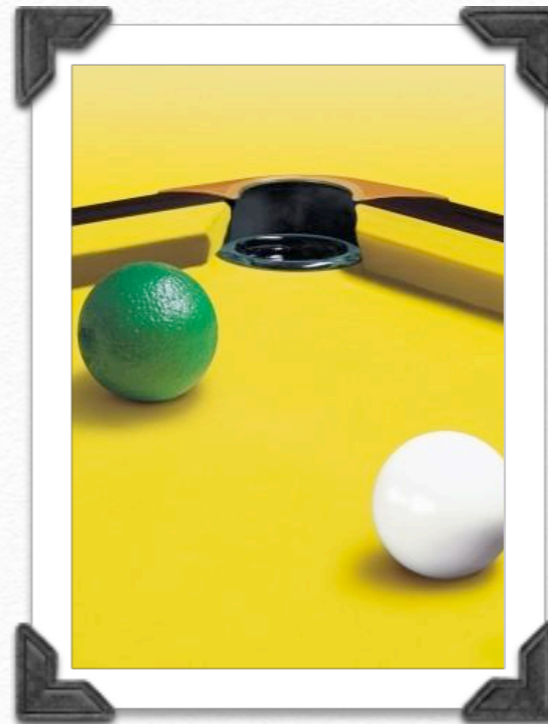
What can we do with a bunch of spheres?

Coarse Grained Models &
Applications on Protein Systems

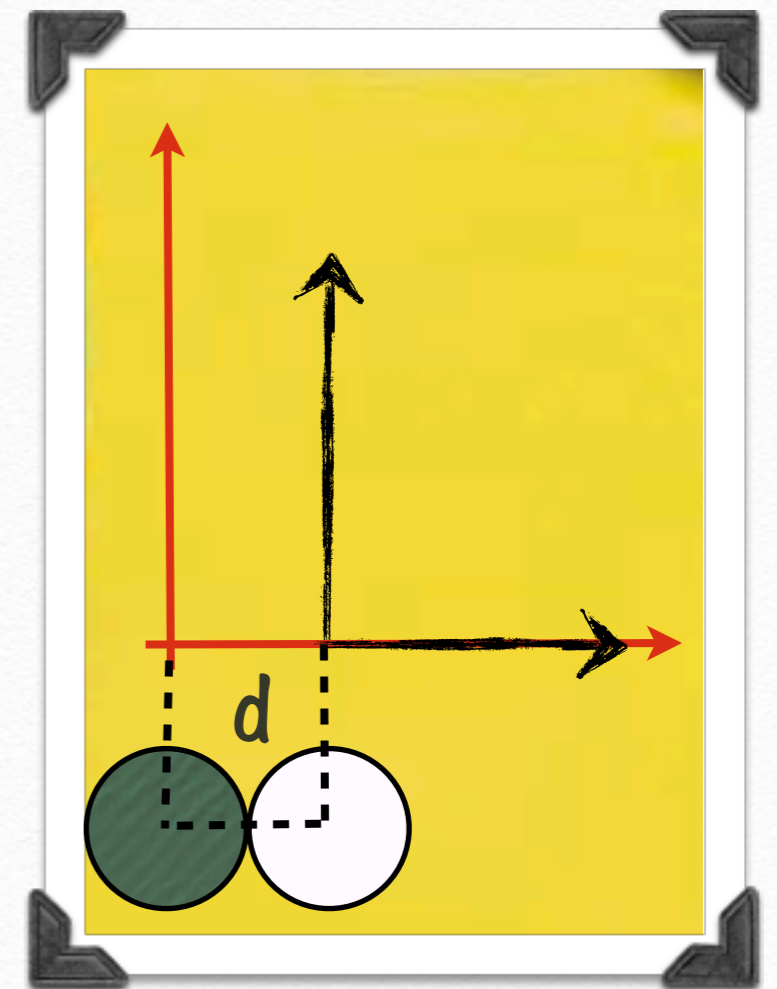
Anil Kurut
COMPUTE Retreat
21.08.2012

Let's model billiard balls

- Two spheres
- Simulation box with hard walls
- Interactions:
 - feel each other when they collide
 - no interactions when they are apart
 - collisions with boundary



Hard
Spheres



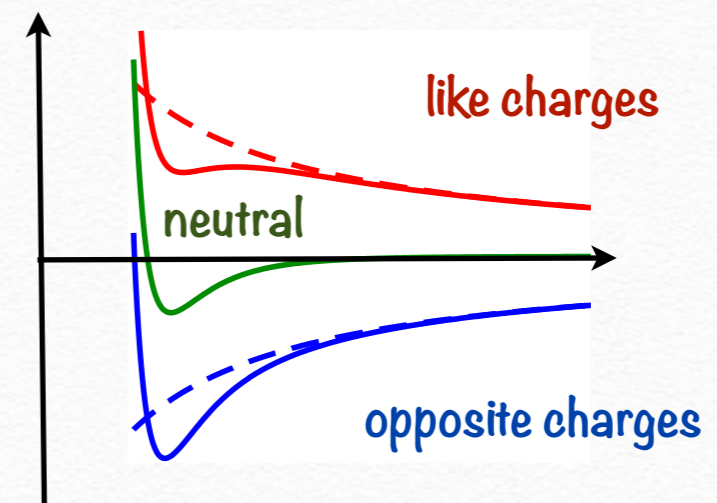
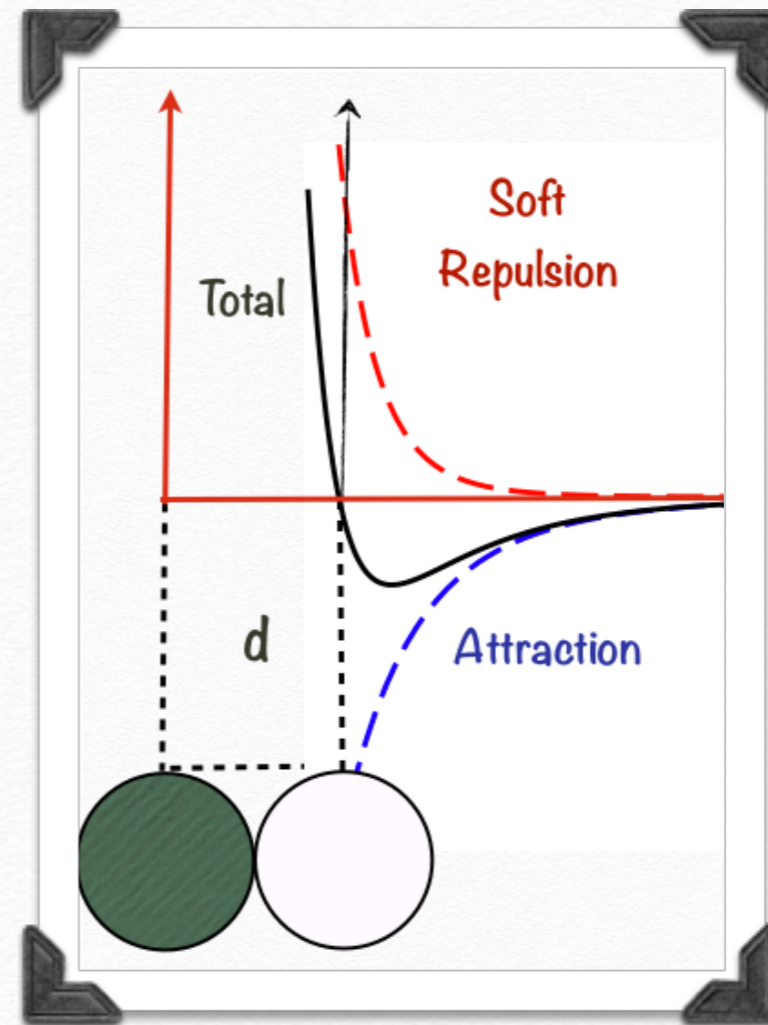
Let's modify the balls

- Make the balls out of plastic
 - They will be softer
- In molecular world:
 - They have short ranged attraction

$$U(r) = 4\epsilon \left\{ \left\{ \frac{d}{r} \right\}^{12} - \left\{ \frac{d}{r} \right\}^6 \right\}$$

- Make them charged

$$U_{charge}(r) = \frac{q_1 q_2}{4\pi\epsilon_0 r}$$



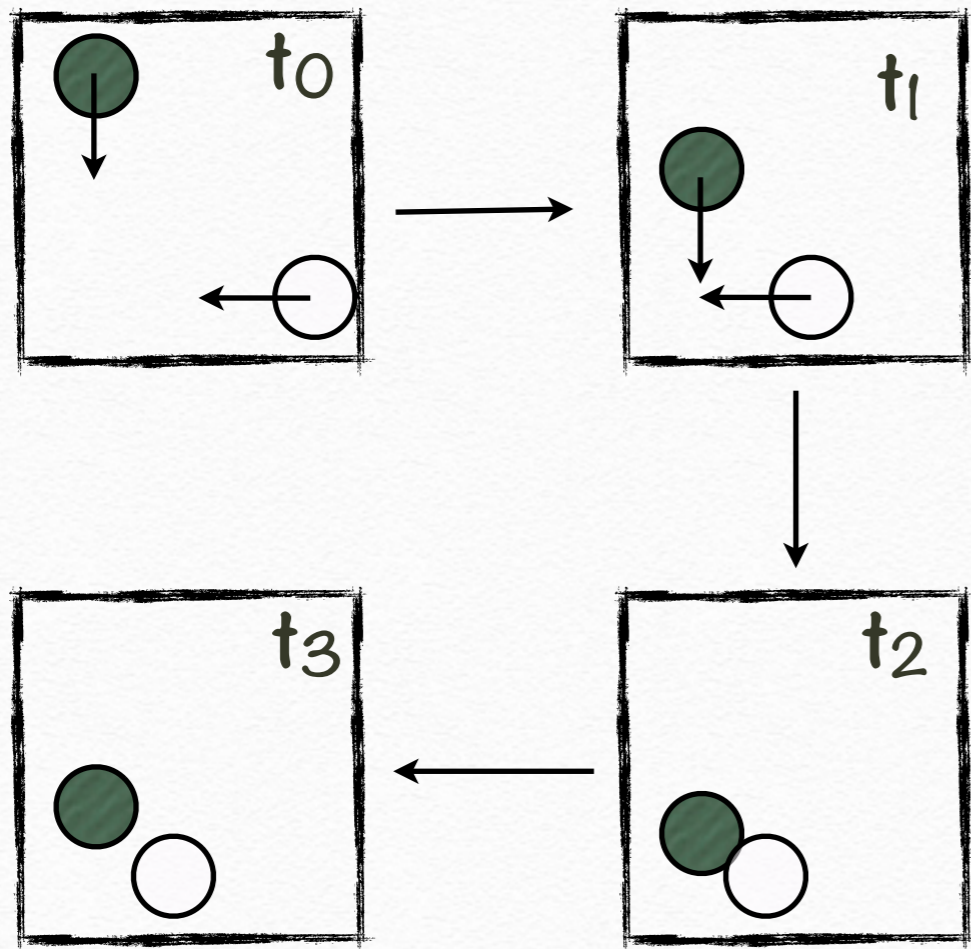
- 2 spherical particles:
Solution with pen and paper
- If they were many like in
billiard board: Explore all
possible configurations
- If they had orientation
dependent interaction:
Explore all possible
orientations



Require
Numerical solutions
=
Simulations !

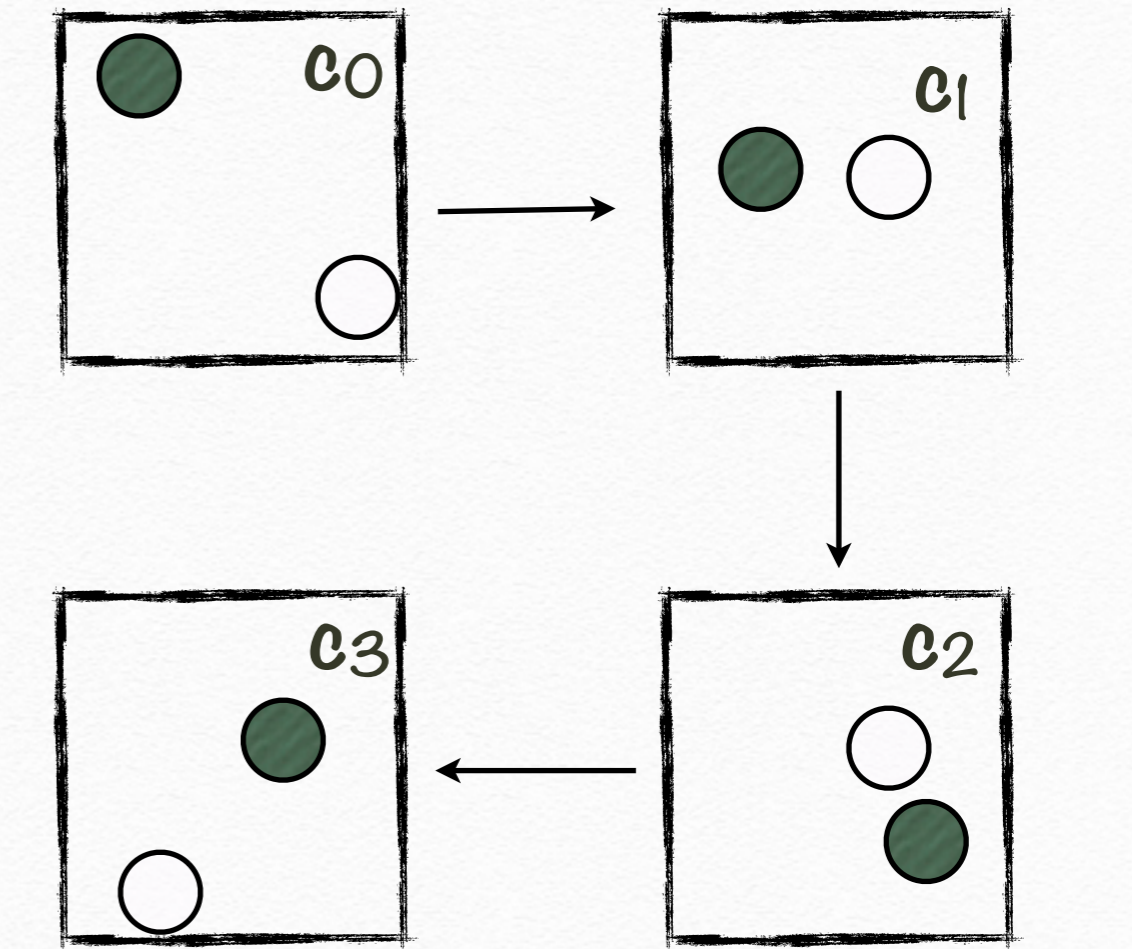
Monte Carlo Simulations

- Experimental measurements: Time averaging



Newton Equations of Motions

- Monte Carlo simulations: Ensemble averaging



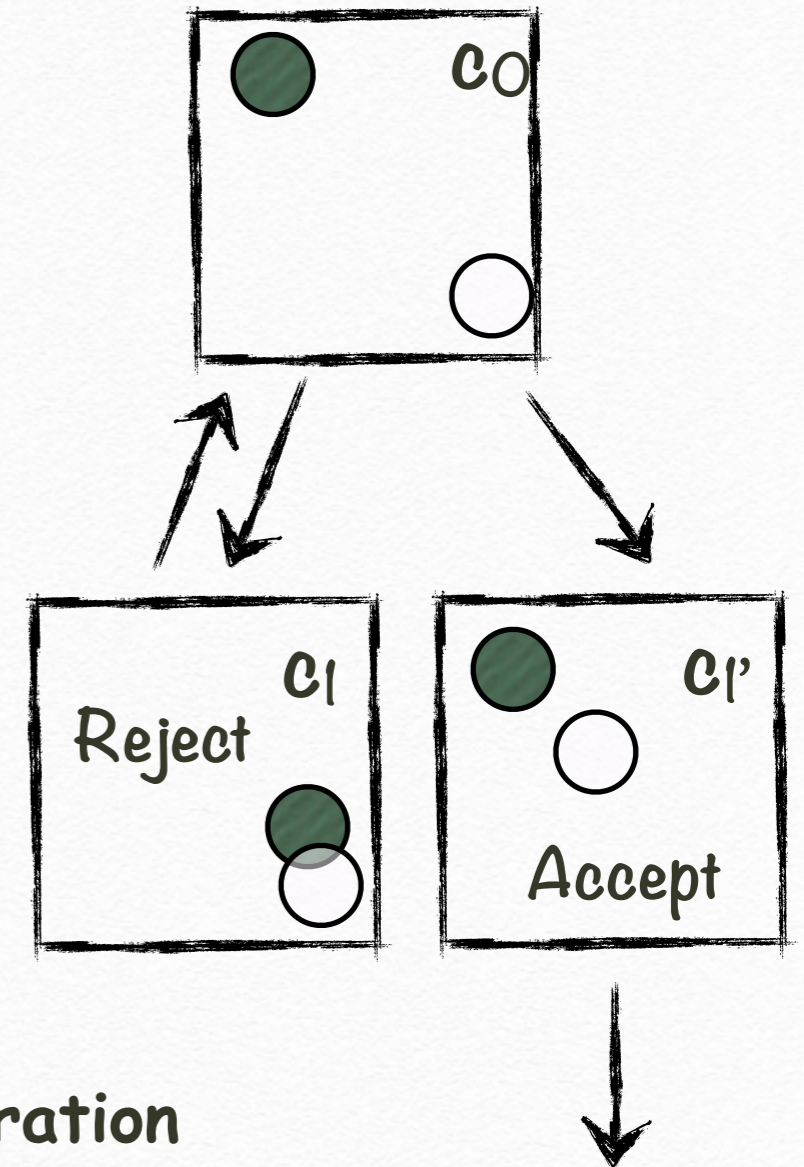
Random Displacement &

Thermal averaging:
weighted by

$$e^{-\frac{\Delta U(r)}{kT}}$$

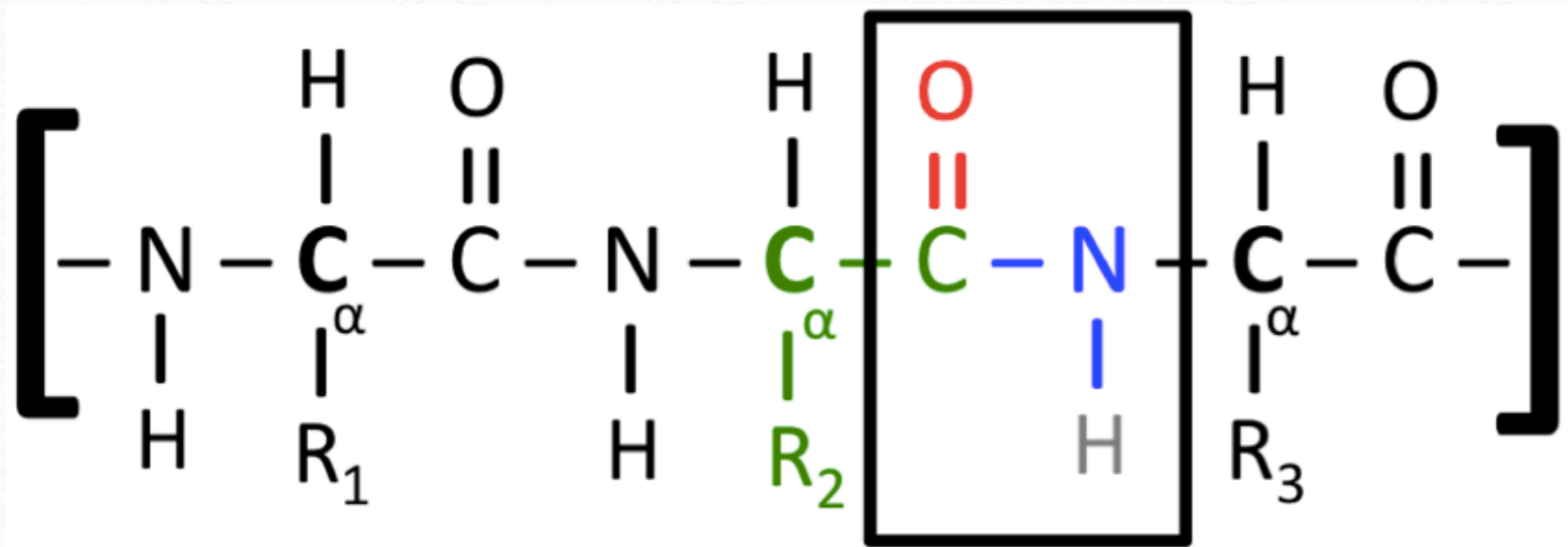
Metropolis Monte Carlo Algorithm

- Pick a random particle
- Move it to a random position
- Calculate the difference in total energy
 - by summing all pair interactions
 - calculation time is proportional to N^2
- Generate a random number R between 0 and 1
- If $R < e^{-\frac{\Delta U(r)}{kT}}$ \rightarrow Accept the new configuration
 - otherwise \rightarrow move it back



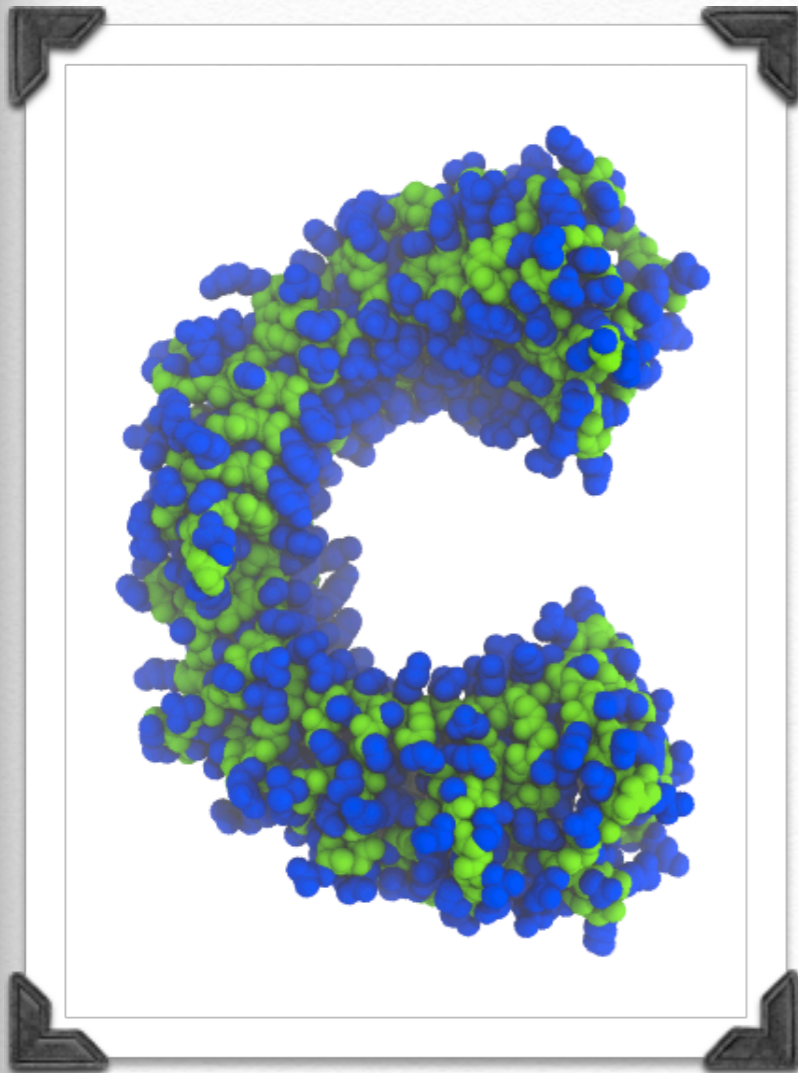
More interesting systems: Proteins

- Sequence of building blocks called amino acids bound to each other by peptide bonds

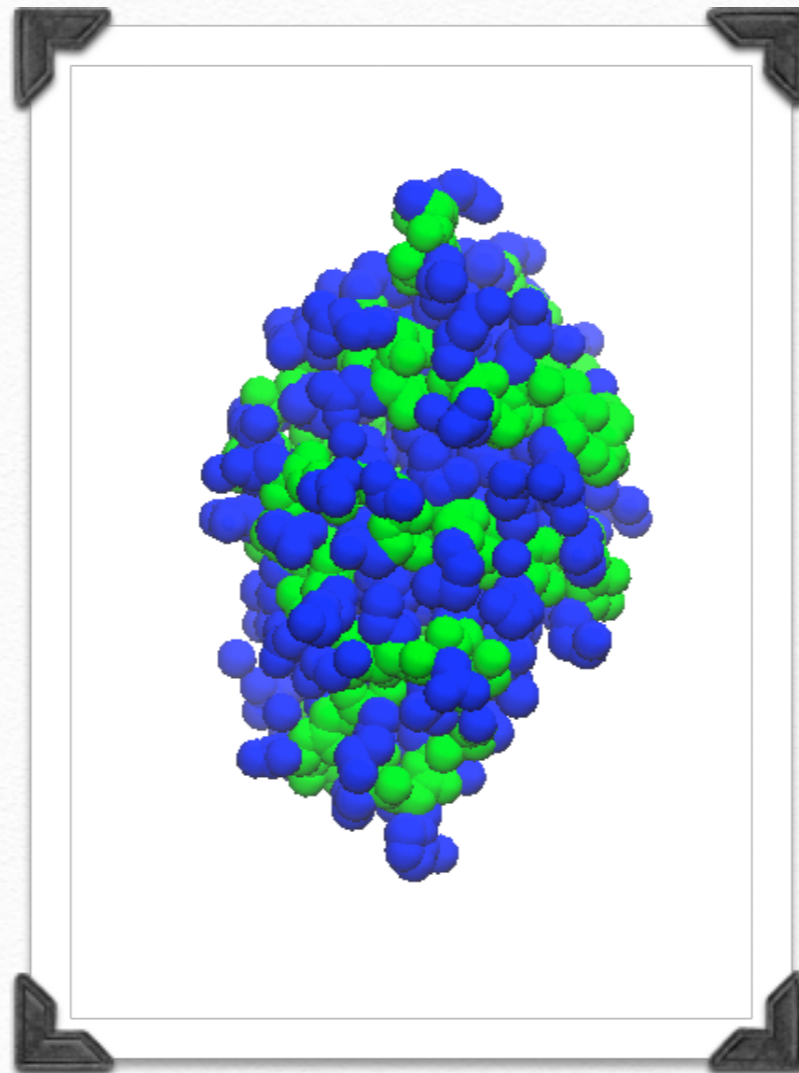


Amino acid 1 Amino acid 2 Amino acid 3

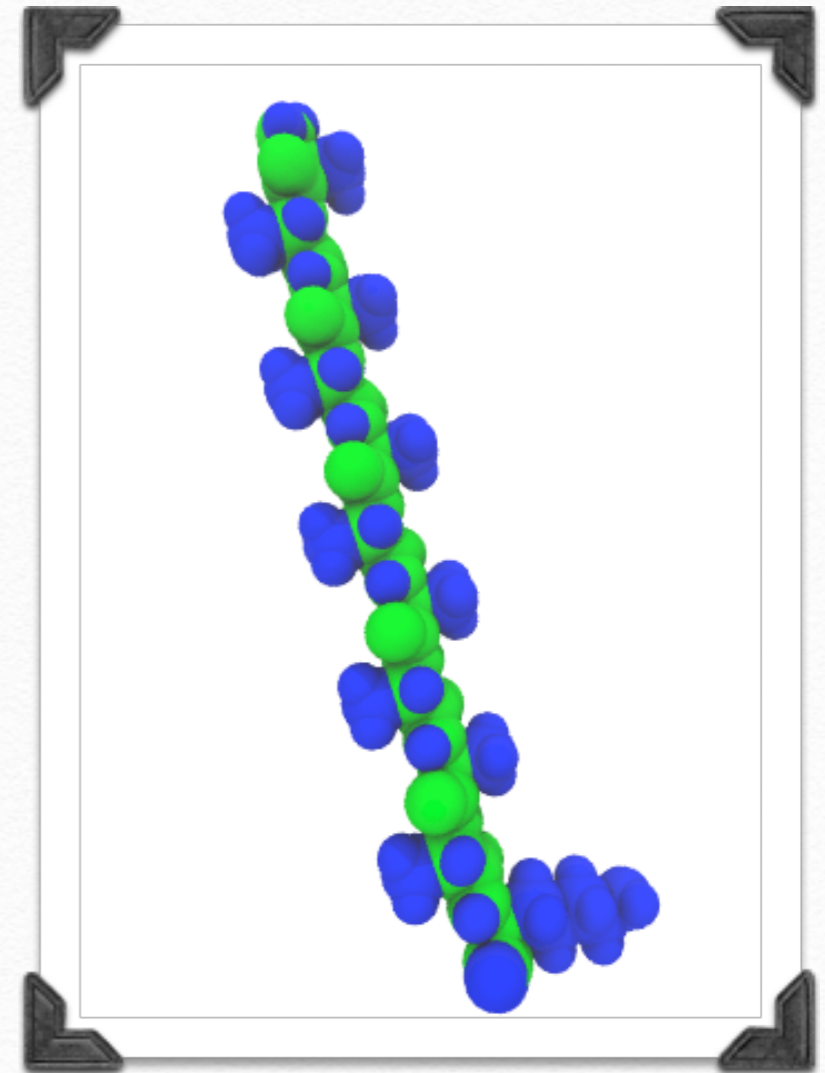
Horse shoe shaped
protein:
314 amino acids
2336 particles



Globular protein:
123 amino acids
990 particles

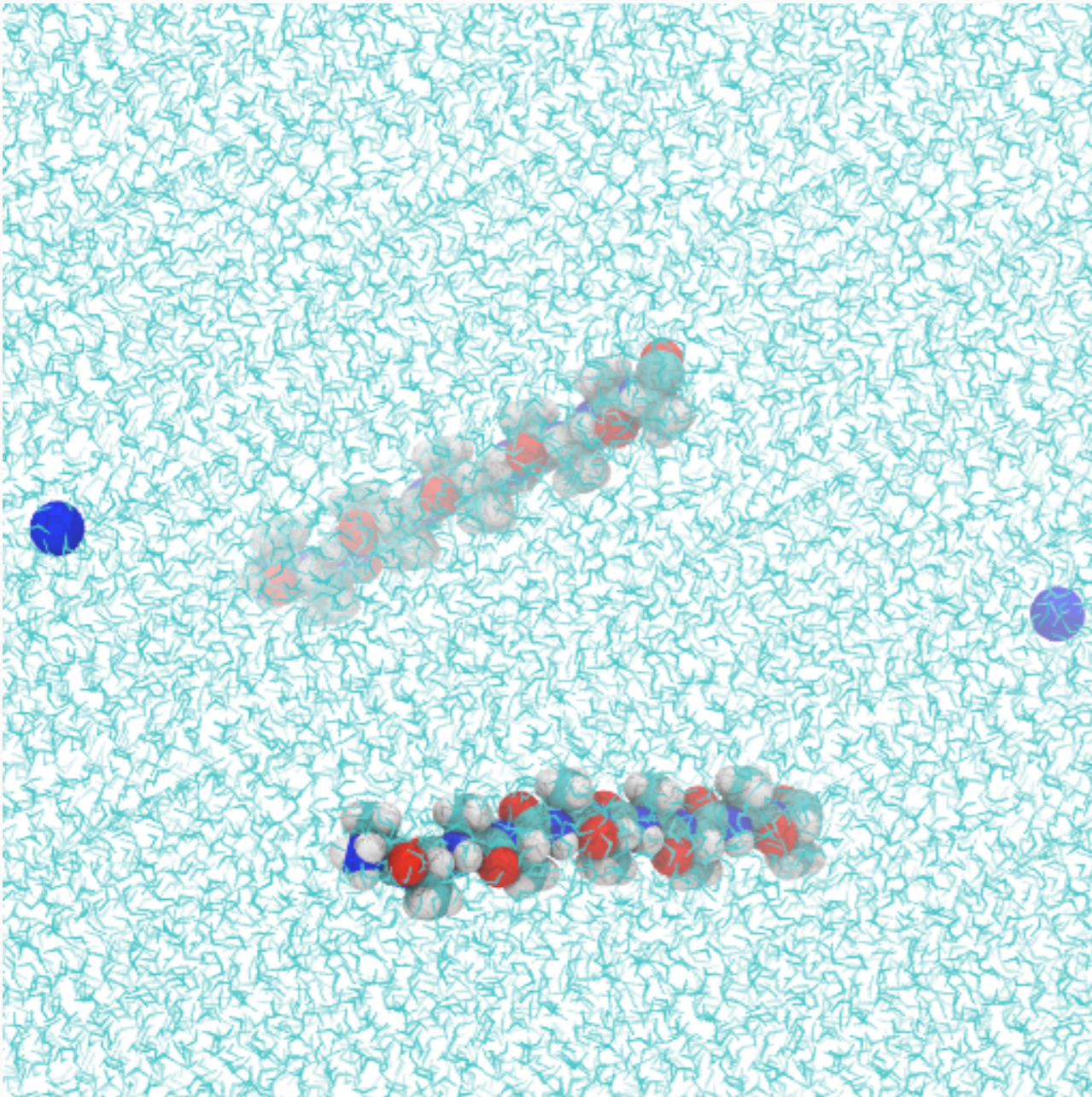


Chain like protein:
11 amino acids
250 particles



Proteins in solution

Proteins + water + ions
= 67628 particles



Number of Particles
in the system
needs to be reduced
to study

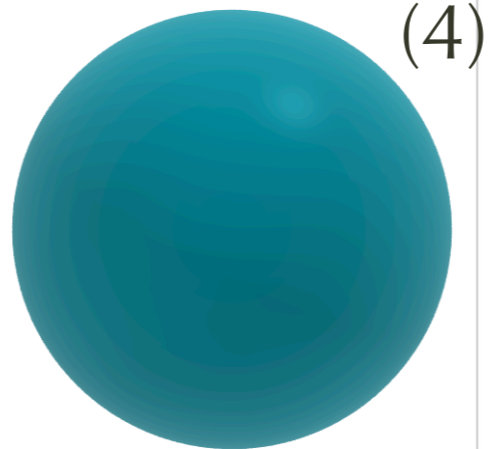
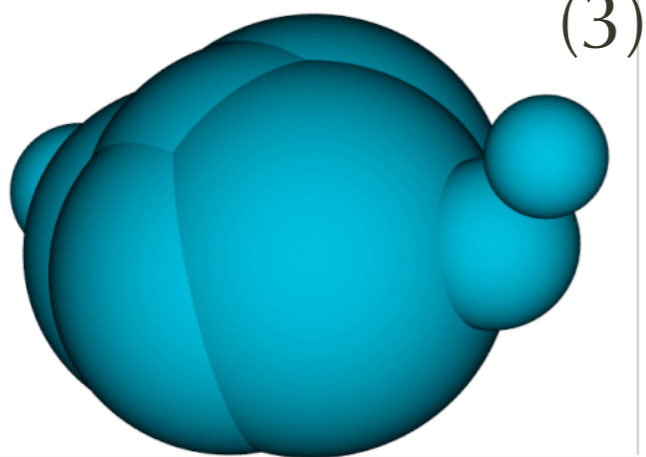
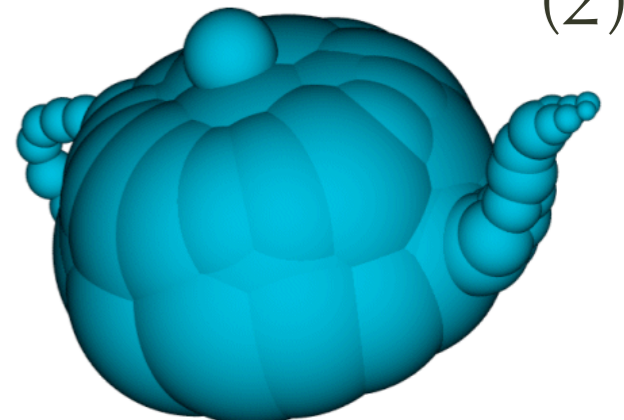
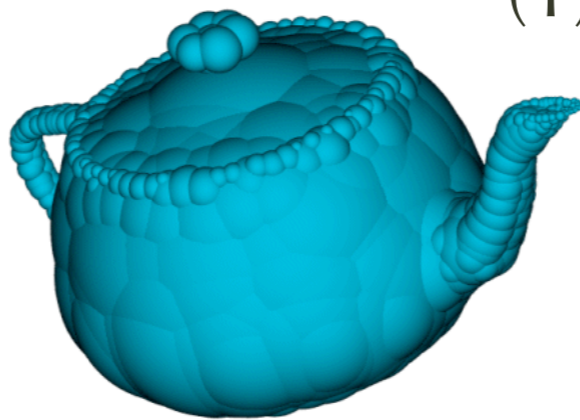


binding of bigger
proteins,
protein self assembly,
phase separation



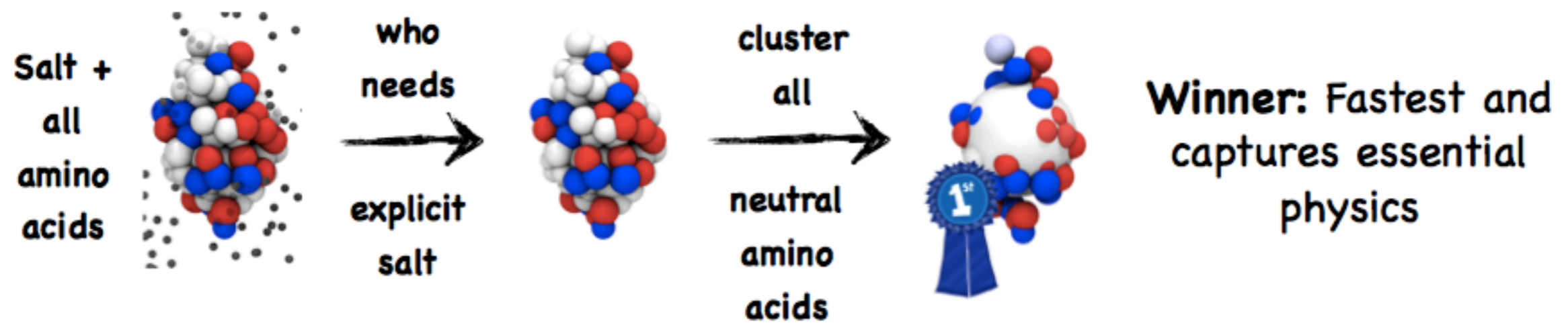
COARSE GRAINED
MODELS

What is coarse graining?

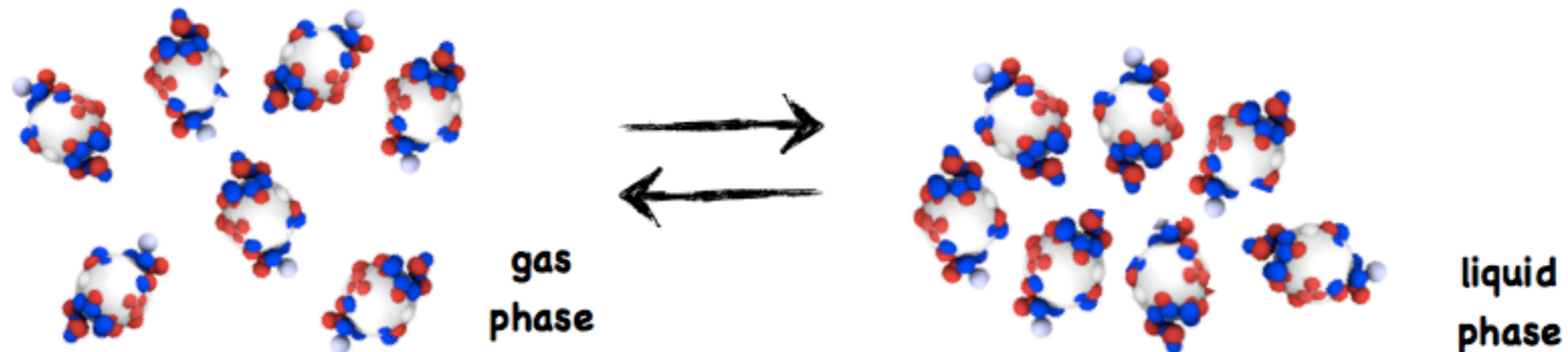


Effect of charge anisotropy on phase separation of proteins

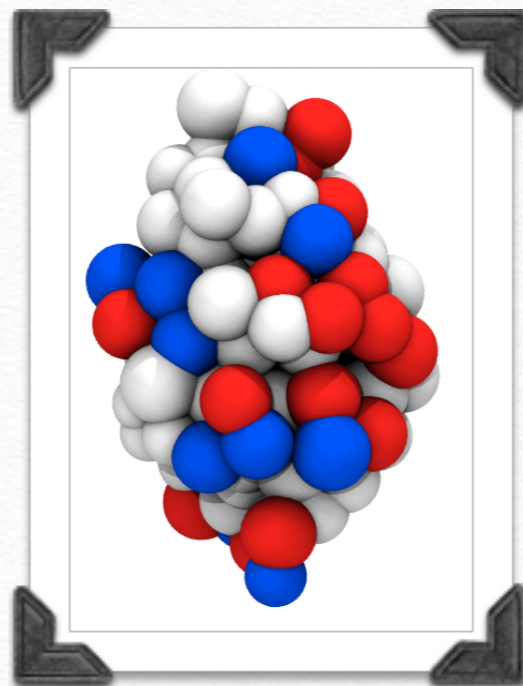
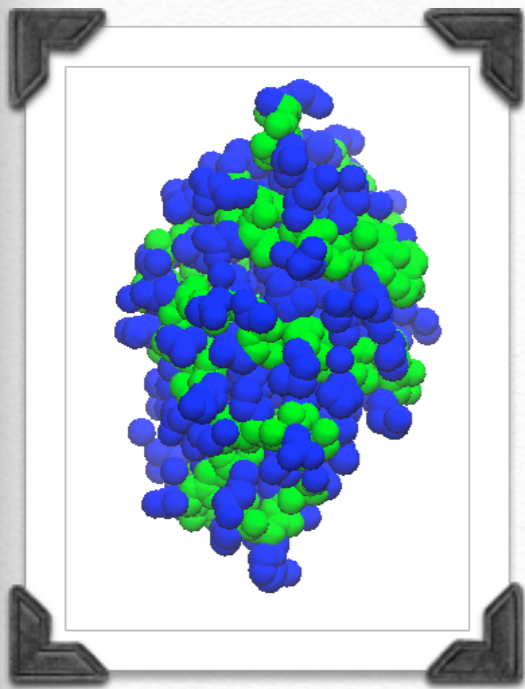
1 Step: Development of proper model = FAST+DETAILED enough



2 Step: Play with MC simulations = **Play ground:** pH, salt concentration, mutations on protein structures



Protein-protein binding



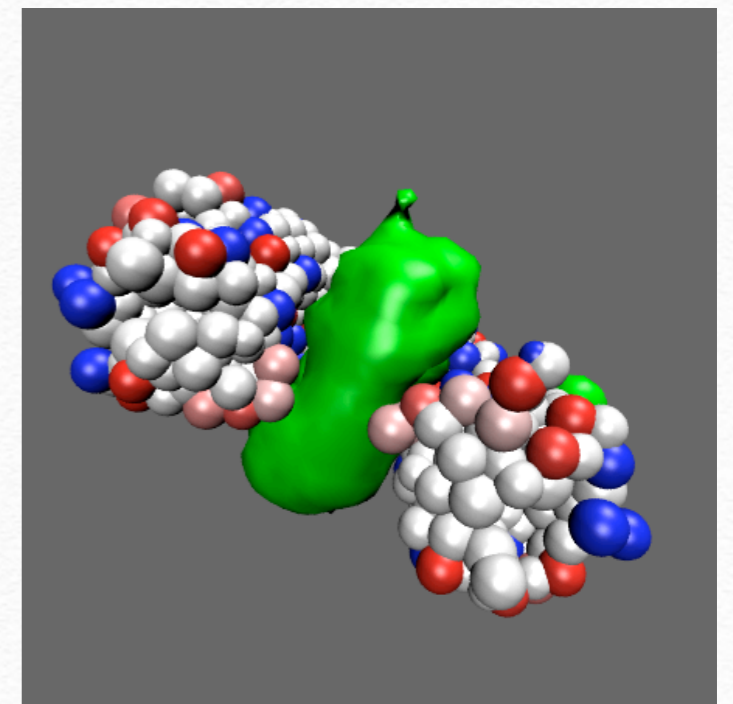
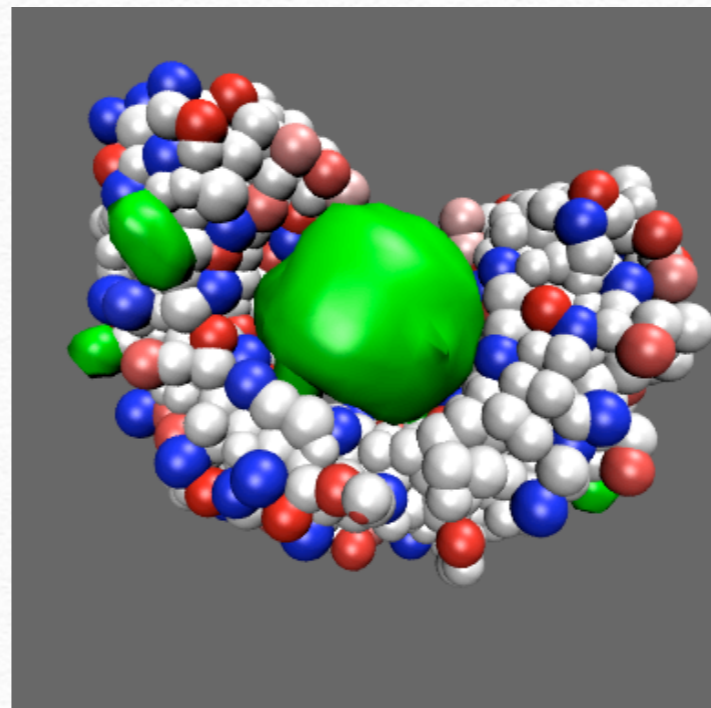
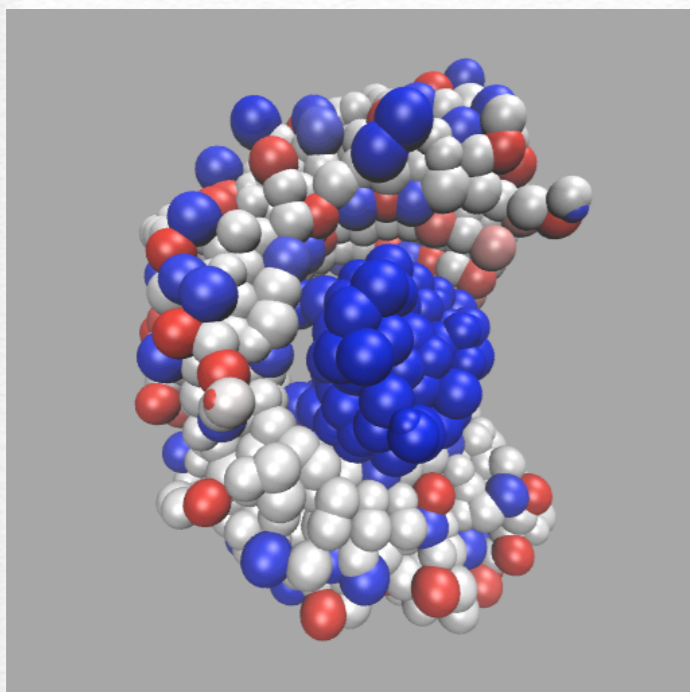
Need all amino acids



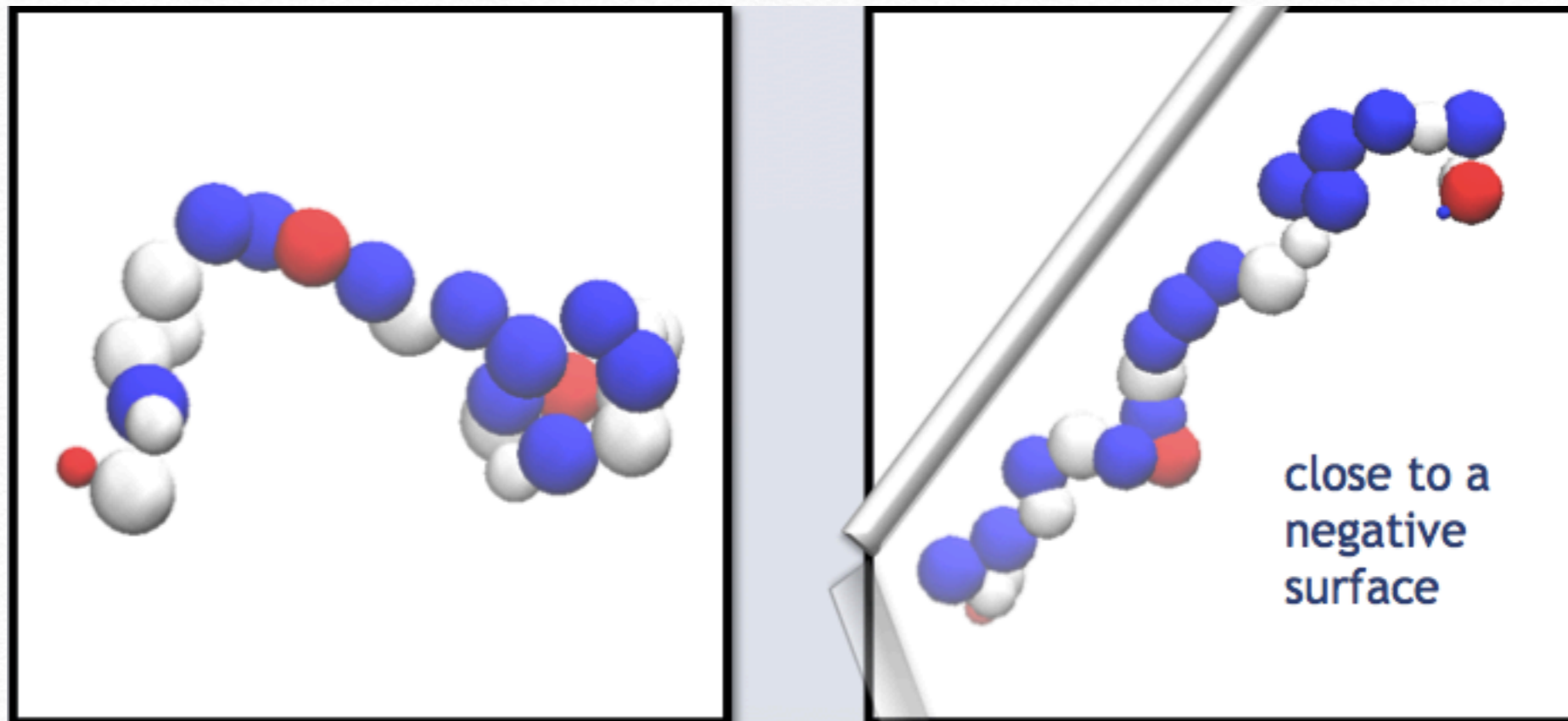
to capture the ones involved in the binding

Snapshot from simulation

Green: Isodensity map



Effect of charge regulations on adsorption of flexible proteins



MODEL

Flexible chain: Harmonic bonds between each adjacent particles
Charges are allowed to fluctuate
Implicit: Surface charges, ions and water molecules

Conclusion

- Determine essential physics
- Develop proper model: **Fast** and **detailed** enough
 - **Fast** = Decrease the number of particles
 - **Detailed** = Capture essential physics
- Verify the coarse grained model:
 - Compare with more detailed models and experiments
- **Let the simulations run !**

Thank you for your attention

Any implicit questions?